

# TEMPLE UNIVERSITY

Department of Mathematics

## Analysis Seminar

Room 617 Wachman Hall

Monday February 17, 2020, 2:40 p.m.

*Stein spaces with spherical CR boundaries and  
their hyperbolic metrics*

by Xiaojun Huang

Rutgers University

**Abstract:** Let  $\Omega$  be a Stein space (of complex dimension at least two) with possibly isolated singularities and a connected compact strongly pseudoconvex smooth boundary  $M = \partial\Omega$ . Let  $(f, D)$  be a non-constant CR mapping, where  $D$  is an open connected subset of  $M$ . Suppose that  $(f, D)$  admits a CR continuation along any curve in  $M$  and for each CR mapping element  $(g, D^*)$  with  $D^* \subset M$  obtained by continuing  $(f, D)$  along a curve in  $M$ , it holds that  $\|g\| \leq C$  for a certain fixed constant  $C$ . Then  $(f, D)$  admits a holomorphic continuation along any curve  $\gamma$  with  $\gamma(0) \in D$  and  $\gamma(t) \in \text{Reg}(\Omega)$  for  $t \in (0, 1]$ . Moreover, for any holomorphic mapping element  $(h, U)$  with  $U \subset \text{Reg}(\Omega)$  obtained from continuation of  $(f, D)$ , we have  $\|h\| < C$  on  $U$ .